

## MIS2502: Review for Exam 3

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# Overview

- **Date/Time:** During regular class time on 4/30
- **Place:** Regular classroom

Please arrive 5 minutes early!

- Multiple-choice and short-answer questions
- Closed-book, closed-note
- No computer or cellphone
- **Please bring a calculator!**

# Coverage

Check the **Exam 3 Study Guide**

1. Data Mining and Data Analytics Techniques
2. Using R and RStudio
3. Understanding Descriptive Statistics (Introduction to R)
4. Decision Tree Analysis
5. Cluster Analysis
6. Association Rules

# Study Materials

- Lecture notes
- In-class exercises
- Assignments
- Course recordings

# How data mining differs from OLAP analysis

OLAP can tell you what is happening, or what *has* happened

- Whatever can be done using Pivot table is not data mining
- Sum, average, min, max, time trend...

Data mining can tell you *why* it is happening, and help predict what *will* happen

- Decision Trees
- Clustering
- Association Rules

# When to use which analysis? (Decision Trees, Clustering, and Association Rules)

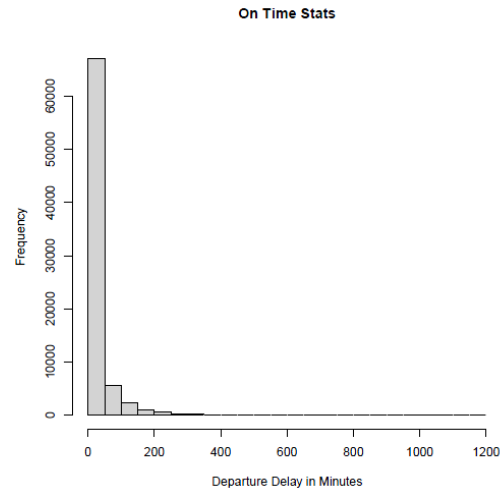
- When someone gets an A in this class, what other classes do they get an A in? **Association Rules**
- What predicts whether a company will go bankrupt? **Decision Trees**
- If someone upgrades to an iPhone, do they also buy a new case? **Association Rules**
- Which presidential candidate will win the election? **Decision Trees**
- Can we group our website visitors into types based on their online behaviors? **Clustering**
- Can we identify different product markets based on customer demographics? **Clustering**

# Using R and RStudio

- Difference between R and RStudio
- The role of packages in R
- Basic syntax for R, for example:
  - Variable assignment (e.g. `NUM_CLUSTERS <- 5`)
  - Identify functions versus variables  
(e.g. *kmeans()* is a function, *kmeans* is a variable)
  - Identify how to access a variable (column) from a dataset (table)  
(e.g. `dataSet$Salary`)

# Understanding Descriptive Statistics

- Histogram



- Sample (descriptive) statistics:
  - Mean (average), standard deviation, min, max ...
- Simple hypothesis testing (e.g., t-test)



# Hypothesis Testing

- uses **p-values** to weigh the strength of the evidence
- **T-test: A small p-value (typically  $\leq 0.05$ )** suggests that there is a statistically significant difference in means.

```
> t.test(subset$TaxiOut~subset$Origin);
```

```
Welch Two Sample t-test
```

```
data: subset$TaxiOut by subset$Origin
```

```
t = 51.5379, df = 24976.07, p-value < 2.2e-16
```

```
alternative hypothesis: true difference in means is not equal to 0
```

```
95 percent confidence interval:
```

```
6.119102 6.602939
```

```
sample estimates:
```

```
mean in group ORD mean in group PHX
```

```
20.58603
```

```
14.22501
```

$$2.2e - 16 = 2.2 \times 10^{-16} \leq 0.05$$

So we conclude that the difference is statistically significant

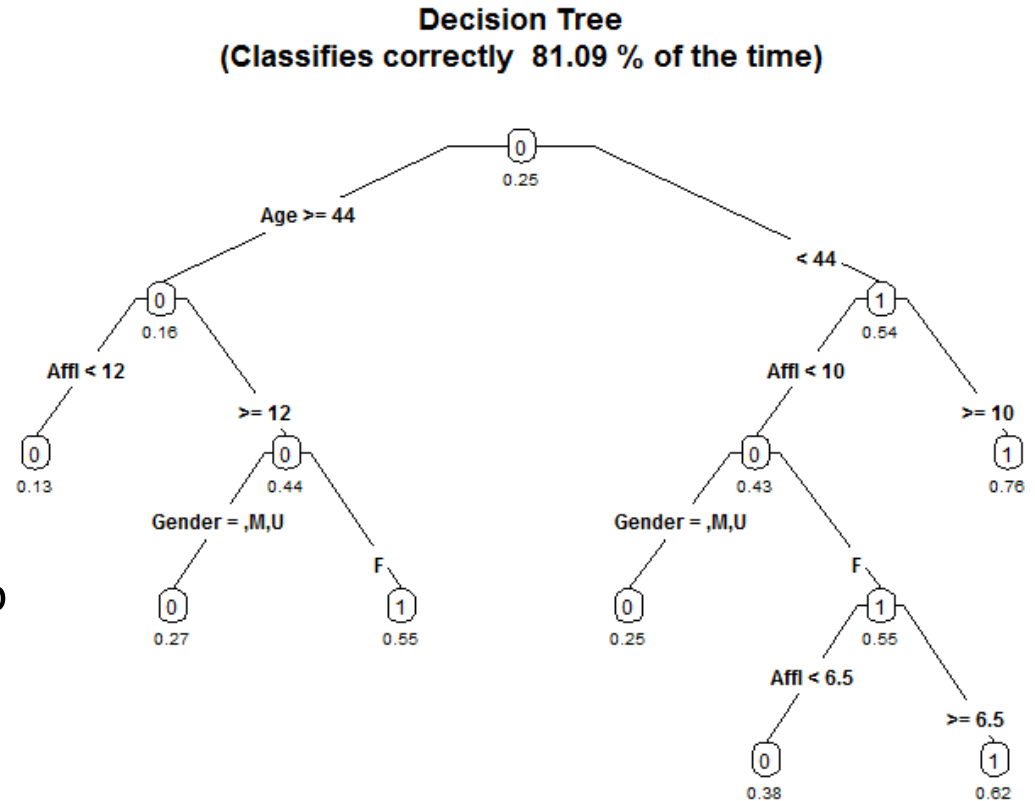
More about p-values:

<http://www.dummies.com/how-to/content/the-meaning-of-the-p-value-from-a-test.html>

<http://www.dummies.com/how-to/content/statistical-significance-and-pvalues.html>

# Decision Tree Analysis

- Outcome variable:  
Discrete/Categorical
- Interpreting decision tree output
  - Probability of purchase?
  - Who are most/least likely to buy?



# Decision Tree Analysis

- What are the pros and cons with a complex tree?

Pros: Better accuracy

Cons: hard to interpret, overfitting

- How would complexity factor affect the tree?

COMPLEXITY FACTOR: the reduction in error needed for an additional split to be allowed

Smaller COMPLEXITYFACTOR → more complex tree

- How would minimum split affect the tree?

MINIMUMSPLIT: the minimum number of observations that must exist in a node in order for a split to be attempted

Smaller MINIMUMSPLIT → more complex tree

# Classification Accuracy

		Predicted outcome:	
		0	1
Observed outcome:	0	1001	45
	1	190	3764

Total: 5000

- Error rate?

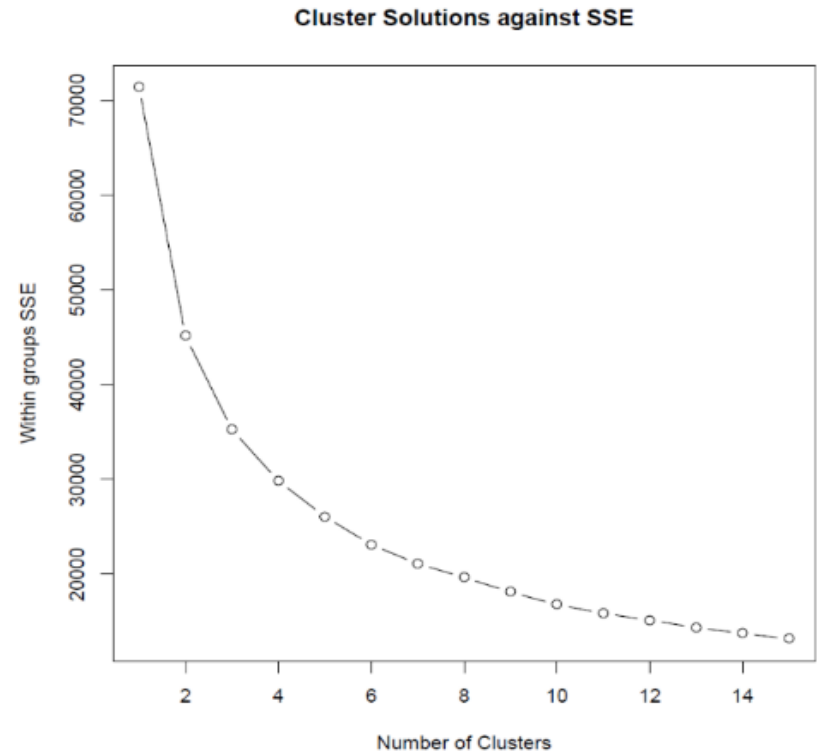
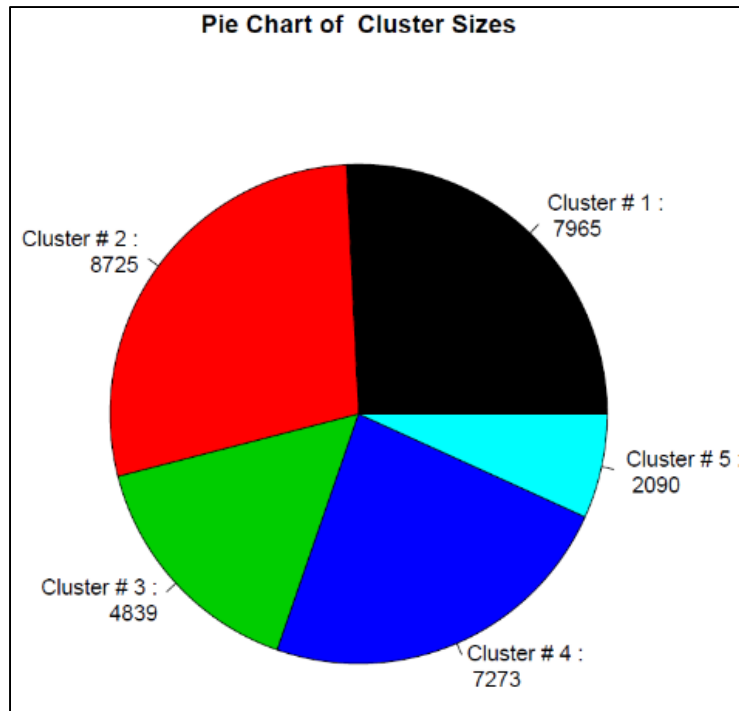
$$(190+45) / 5000 = 4.7\%$$

- Correct classification rate?

$$(1 - 4.7\%) = 95.3\%$$

# Cluster Analysis

- Interpret output from a cluster analysis



# Cohesion and Separation

- Cohesion
  - Higher withinss = Lower cohesion (BAD)
  - High withinss means that **elements within cluster** are far away from each other
- Separation
  - Higher betweenss = Higher separation(GOOD)
  - High betweenss means that **different clusters** are far away from each other

What happens to those statistics as the number of clusters increases?

Higher cohesion (Good)

Lower separation (Bad)

# Cohesion and Separation

- Interpret withinss (cohesion) and betweensss (separation)

```
> # Display withinss (i.e. the within-cluster SSE for each cluster)
> cat("\nwithin cluster SSE for each cluster (Cohesion):")
```

Within cluster SSE for each cluster (Cohesion):

```
> MyKMeans$withinss;
[1] 6523.491 990.183 6772.426 2707.390 5102.896
```

**withinss error  
(cohesion)**



```
> # Display betweenss (i.e. the SSE between clusters)
> cat("\nTotal between-cluster SSE (Seperation):")
```

Total between-cluster SSE (Seperation):

```
> MyKMeans$betweenss
[1] 45301.67
```

**total betweensss error**



```
> # Compute average separation: more clusters = less separation
> cat("\nAverage between-cluster SSE:")
```

Average between-cluster SSE:

```
> MyKMeans$betweenss/NUM_CLUSTER
[1] 9060.334
```

**average betweensss error  
(separation)**



# Standardized (Normalized) Data

- Interpret standardized cluster means for each input variable

```
> # Display the cluster means (means for each input variable)
> print("Cluster Means:");
[1] "Cluster Means:"

> print(aggregate(kData,by=list(MyKMeans$cluster),FUN=mean));
  Group.1 RegionDensityPercentile MedianHouseholdIncome AverageHouseholdSize
1      1      -1.1221748                -0.5592874          -0.5078763
2      2      -0.4869803                -0.1423105           0.3510218
3      3       0.8552483                 1.3511921           0.2792033
4      4       0.8820890                -0.2675451          -0.5983830
5      5       0.9546766                -0.3133993           1.3683971
```

For **standardized values**, "0" is the average value for that variable.

For Cluster 5:

- average RegionDensityPercentile >0 → higher than the population average
- average MedianHouseholdIncome, and AverageHouseholdSize <0 → lower than the population average



# Association Rules

- Interpret the output from an association rule analysis

lhs	rhs	support	confidence	lift
611 {CCRD,CKING,MMDA,SVG}	=> {CKCRD}	0.01026154	0.6029412	5.335662
485 {CCRD,MMDA,SVG}	=> {CKCRD}	0.01026154	0.5985401	5.296716
489 {CCRD,CKING,MMDA}	=> {CKCRD}	0.01776999	0.5220588	4.619903
265 {CCRD,MMDA}	=> {CKCRD}	0.01776999	0.5107914	4.520192
530 {CCRD,MMDA,SVG}	=> {CKING}	0.01701915	0.9927007	1.157210
308 {CCRD,MMDA}	=> {CKING}	0.03403829	0.9784173	1.140559

- Compute support count ( $\sigma$ ), support ( $s$ ), confidence, and lift

$$c(X \rightarrow Y) = \frac{s(X \rightarrow Y)}{s(X)}$$

$$Lift(X \rightarrow Y) = \frac{s(X \rightarrow Y)}{s(X) * s(Y)}$$

These two formulas will be provided

But you need to know how to compute support

# Compute Support, confidence, and lift

Basket	Items
1	Coke, Pop-Tarts, Donuts
2	Cheerios, Coke, Donuts, Napkins
3	Waffles, Cheerios, Coke, Napkins
4	Bread, Milk, Coke, Napkins
5	Coffee, Bread, Waffles
6	Coke, Bread, Pop-Tarts
7	Milk, Waffles, Pop-Tarts
8	Coke, Pop-Tarts, Donuts, Napkins

Rule	Support	Confidence	Lift
{Coke} → {Donuts}	$3/8 = 0.375$	$3/6 = 0.50$	$\frac{0.375}{0.75 * 0.375} = 1.33$
{Coke, Pop-Tarts} → {Donuts}	$2/8 = 0.25$	$2/3 = 0.67$	$\frac{0.25}{0.375 * 0.375} = 1.78$

- Which rule has the stronger association? **{Coke, Pop-Tarts} → {Donuts}** has both higher lift and confidence
- Consider:
  - (1) a customer with **coke** in the shopping cart.
  - (2) a customer with **coke and pop-tarts** in the shopping cart.

Who do you think is more likely to buy donuts? **The second one, with a higher lift**

# Compute Support, confidence, and lift

		Krusty-O's	
		No	Yes
Potato Chips	No	5000	1000
	Yes	4000	500

Total: 10500

- What is the lift for the rule {Potato Chips} → {Krusty-O's}?
- Are people who bought Potato Chips more likely than chance to buy Krusty-O's too?

$$\begin{aligned} \text{Lift} &= \frac{s(\text{Potato Chips}, \text{KrustyOs})}{s(\text{Potato Chips}) * s(\text{KrustyOs})} \\ &= \frac{0.048}{0.429 * 0.143} = 0.782 \end{aligned}$$

**They appear in the same basket less often than what you'd expect by chance (i.e., Lift < 1).**

# Association Rules

- What does Lift  $> 1$  mean? Would you take action on such a rule?

The occurrence of  $X \rightarrow Y$  together is more likely than what you would expect by random chance (positive association)

- What about Lift  $< 1$ ?

The occurrence of  $X \rightarrow Y$  together is less likely than what you would expect by random chance (negative association)

- What about Lift  $= 1$ ?

The occurrence of  $X \rightarrow Y$  together is the same as random chance (no apparent association.  $X$  and  $Y$  are independent of each other)

# Association Rules

- Can you have high confidence and low lift?

A numeric demonstration: Suppose we have 10 baskets. X appears in 8 baskets. Y appears in 8 baskets. X and Y co-appear in 6 baskets...

$$\sigma(X) = 8 \implies s(X) = 0.8$$

$$\sigma(Y) = 8 \implies s(Y) = 0.8$$

$$\sigma(X \rightarrow Y) = 6 \implies s(X \rightarrow Y) = 0.6$$

$$\text{Confidence} = \frac{\sigma(X \rightarrow Y)}{\sigma(X)} = \frac{6}{8} = 0.75 \quad \text{You get high confidence}$$

$$\text{Lift} = \frac{s(X \rightarrow Y)}{s(X) * s(Y)} = \frac{0.6}{0.8 * 0.8} = 0.9375 < 1 \quad \text{But low lift}$$

**When both X and Y are popular, you'd almost expect them to show up in the same baskets by chance !**

When both X and Y are popular....

Good luck!